

# Testing Sorting

cs206  
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# Writing Comprehensive Tests

- By Software or Algorithm Analysis
  - Examine implementation (algorithm)
    - Draw a tree in which every “if” causes a branching
      - Yes left; No right
    - Consider what the program should do at every leaf
    - Figure out a test case to get to every leaf in tree
    - Problems with global / method variables
    - Work with only public methods
      - Handling side-effects (like printing)
- Check what program actually does against what it should do

# Writing Comprehensive Tests — Pt 2

- Test -driven design
  - Work with abstract description of problem
  - Before any implementation write tests with bothin input and output
  - Any implementation must pass all tests.
  - If pass all tests, the the program does with it is supposed to do.

# Test Example — Tree Insertion

```
public void insertAlt(final E element) {  
    if (root==null) {  
        root=new Node(element);  
        size = 1;  
    } else  
        iInsertAlt(root, element);  
}
```

```
private void iInsertAlt(final Node treepart, final E toBeAdded) {  
    final int cmp = treepart.payload.compareTo(toBeAdded);  
    if (cmp==0) return; // the item is in the tree  
    if (cmp>0) { // Mar 26 fixed wrong direction on comparison  
        if (treepart.left==null) {  
            size++;  
            treepart.left=new Node(toBeAdded);  
        } else {  
            iInsertAlt(treepart.left, toBeAdded);  
        }  
    } else { // cmp<0  
        if (treepart.right==null) {  
            size++;  
            treepart.right=new Node(toBeAdded);  
        } else {  
            iInsertAlt(treepart.right, toBeAdded);  
        }  
    }  
}}
```

# Testing Conclusions

- From Software / Algorithm Analysis
  - If the software itself is flawed, the tests may incorrectly indicate that the program is correct
  - Tests may be closely tied to implementation — so implementation change requires test change
- From Algorithm Analysis
  - Complete algorithm specs are hard to write

# Abstract Classes

## Halfway between interface and class

```
public abstract class AbstractPriorityQueue <K extends Comparable<K>, V> {
    enum Ordering { ASCENDING, DESCENDING, MIN, MAX}
    protected Ordering order;
    protected class Entry<L extends Comparable<L>,W> {
        final L theK;
        final W theV;
        public Entry(L kk, W vv) {
            theK = kk;
            theV = vv;
        }
        protected int doCompare(Entry<L,W> e2) {
            switch (order) {
                case MIN:
                case ASCENDING:
                    return this.theK.compareTo(e2.theK);
                case MAX:
                case DESCENDING:
                default:
                    return e2.theK.compareTo(this.theK);
            }
        }
        public String toString() {
            return "{"+theK+","+theV+"}";
        }
    }
    public abstract int size();
    public abstract boolean isEmpty();
    public abstract boolean offer(K k, V v);
    public abstract V poll();
    public abstract V peek();
}
```

- Some methods may be defined
- Other methods “abstract”
- Cannot be new'ed
  - ~~new AbstractPriorityQueue~~
- Extend like normal class, but must implement abstract methods

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# Priority Queue Sort

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- Sorting using a priority queue
  1. Insert with a series of `insert` operations
  2. Remove in sorted order with a series of `poll` operations
- Efficiency depends on implementation and runtime of `insert` and `poll`

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# Selection Sort

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- Selection-sort:
  - select the min/max and swap with 0
- priority queue is implemented with an unsorted sequence
- Time:
  - Add:  $O(n)$
  - Remove:  $O(n^2)$



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# Example

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Phase 1 — Inserting

(a)	7	(7)	
(b)	4	(7,4)	
....			
(g)	()		(7,4,8,2,5,3,9)

Phase 2 — Polling

(a)	(2)		(7,4,8,5,3,9)
(b)	(2,3)		(7,4,8,5,9)
(c)	(2,3,4)		(7,8,5,9)
(d)	(2,3,4,5)		(7,8,9)
(e)	(2,3,4,5,7)		(8,9)
(f)	(2,3,4,5,7,8)		(9)
(g)	(2,3,4,5,7,8,9)		()

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# Insertion Sort

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- Insertion-sort:
  - insert/swap the element into the correct sorted position
- Priority queue where the priority queue is implemented with a sorted sequence
- Time:
  - Add:  $O(n^2)$
  - Remove:  $O(n)$

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# Example

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## Phase 1 — Inserting

(a)	7	(7)
(b)	4	(4,7)
(c)	8	(4,7,8)
(d)	2	(2,4,7,8)
(e)	5	(2,4,5,7,8)
(f)	3	(2,3,4,5,7,8)
(g)	9	(2,3,4,5,7,8,9)

## Phase 2 — polling

(a)	(2)	(3,4,5,7,8,9)
(b)	(2,3)	(4,5,7,8,9)
..	..	..
(g)	(2,3,4,5,7,8,9)	()

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# Heap Sort

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- Heap-sort:
  - Insertion — no more than  $\log_2(n)$  steps
  - Deletion — no more than  $\log_2(n)$  steps
- priority queue is implemented with a heap
  
- Time:
  - Add:  $O(\log_2(n))$
  - Remove:  $O(\log_2(n))$

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# Example

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Phase 1 — Inserting

(a)	7	(7)
(b)	4	(4,7)
(c)	8	(4,7,8)
(d)	2	(2,4,8,7)
(e)	5	(2,4,8,7,5)
(f)	3	(2,4,3,7,5,8)
(g)	9	(2,4,3,7,5,8,9)

Phase 2 — polling

(a)	(2)	(3,4,7,5,8,9)
(b)	(2,3)	(4,5,7,9,8)
..	..	..
(g)	(2,3,4,5,7,8,9)	()

# Mini Homework

14, 6, 18, 2, 13, 7, 8, 9, 3, 17, 5, 10, 11, 12, 15, 19, 16, 0, 1, 4

For the data above, count the number of primitive operations for each of insertion, selection and heap sorts using the priority queues discussed. A primitive operation is: comparison, move an item in an array / arraylist. Show the count.

Also, show the contents of the queue when it contains all of the above items . Show the array or arraylist.

You may assume that the key and value are identical.